

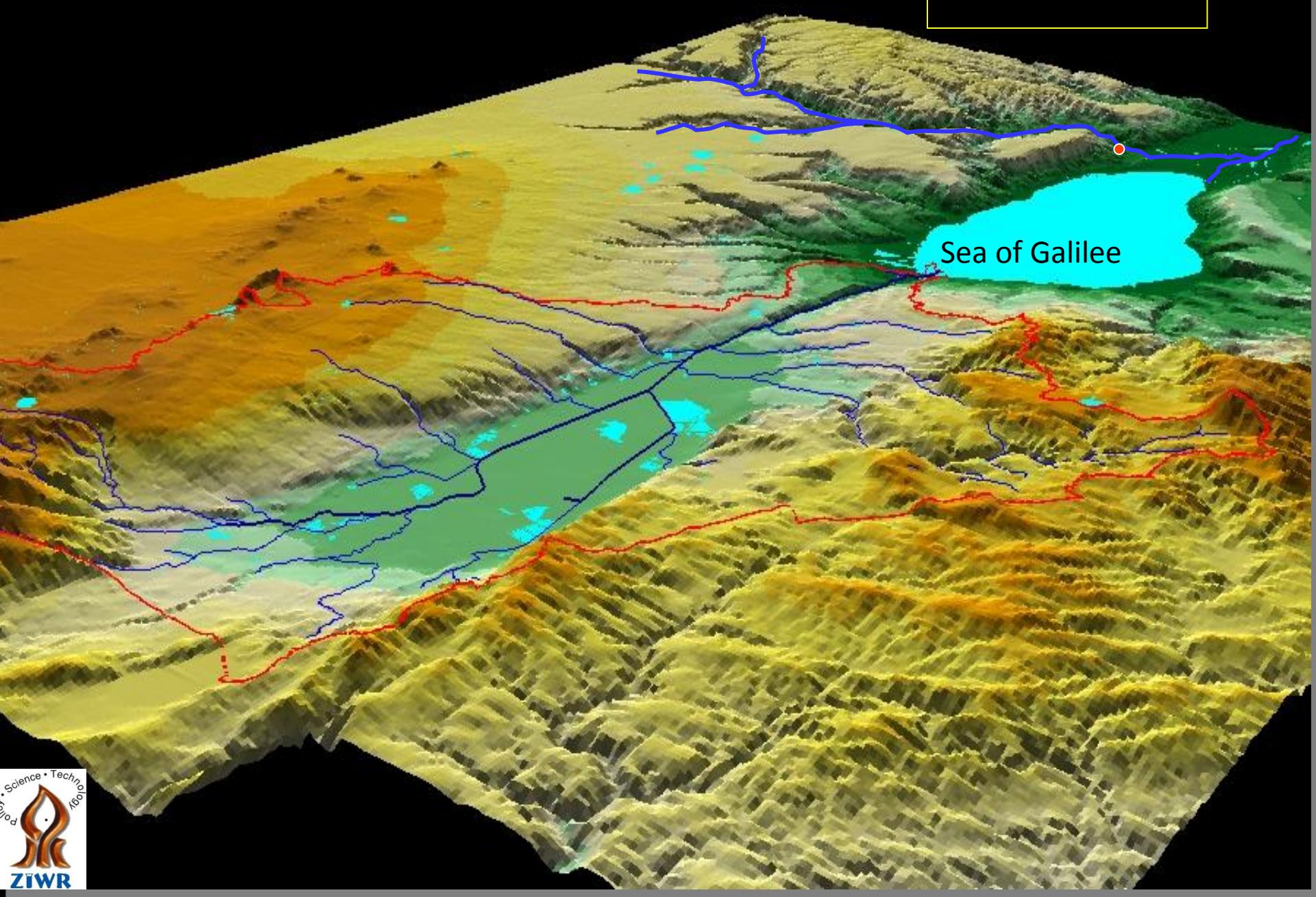
The anthropogenic impact of cross-borders water resources development on the water quality of the Jordan River

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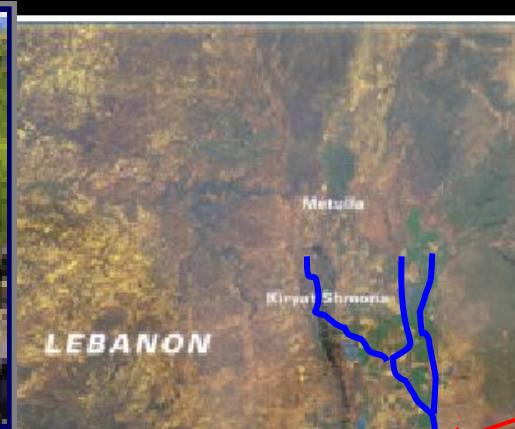
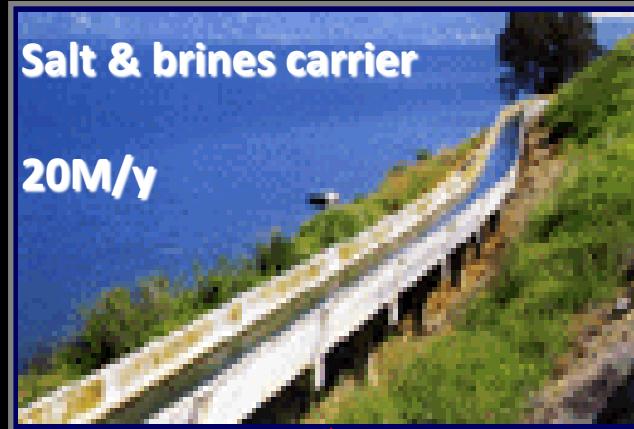


The Sea of Galilee - The only natural fresh water reservoir in the Middle East

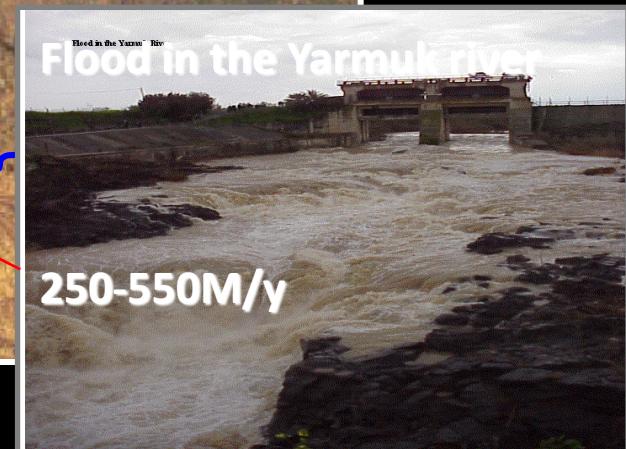
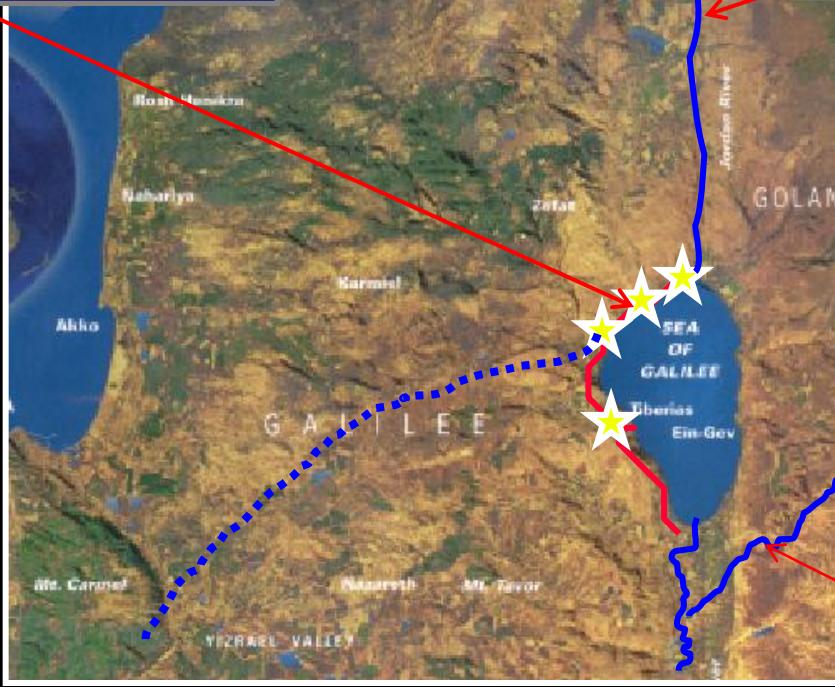
Yarmuk River



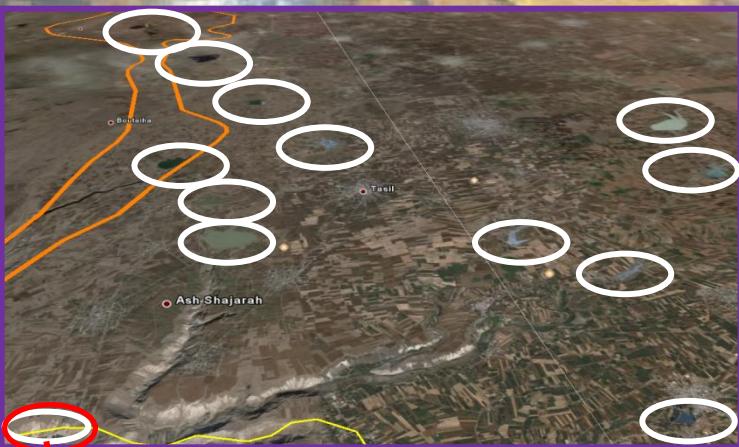
The Jordan River basin is a cross-borders trans-boundary basin shared by Lebanon, Syria, Jordan, Palestinian Authority and Israel.



Water Budget

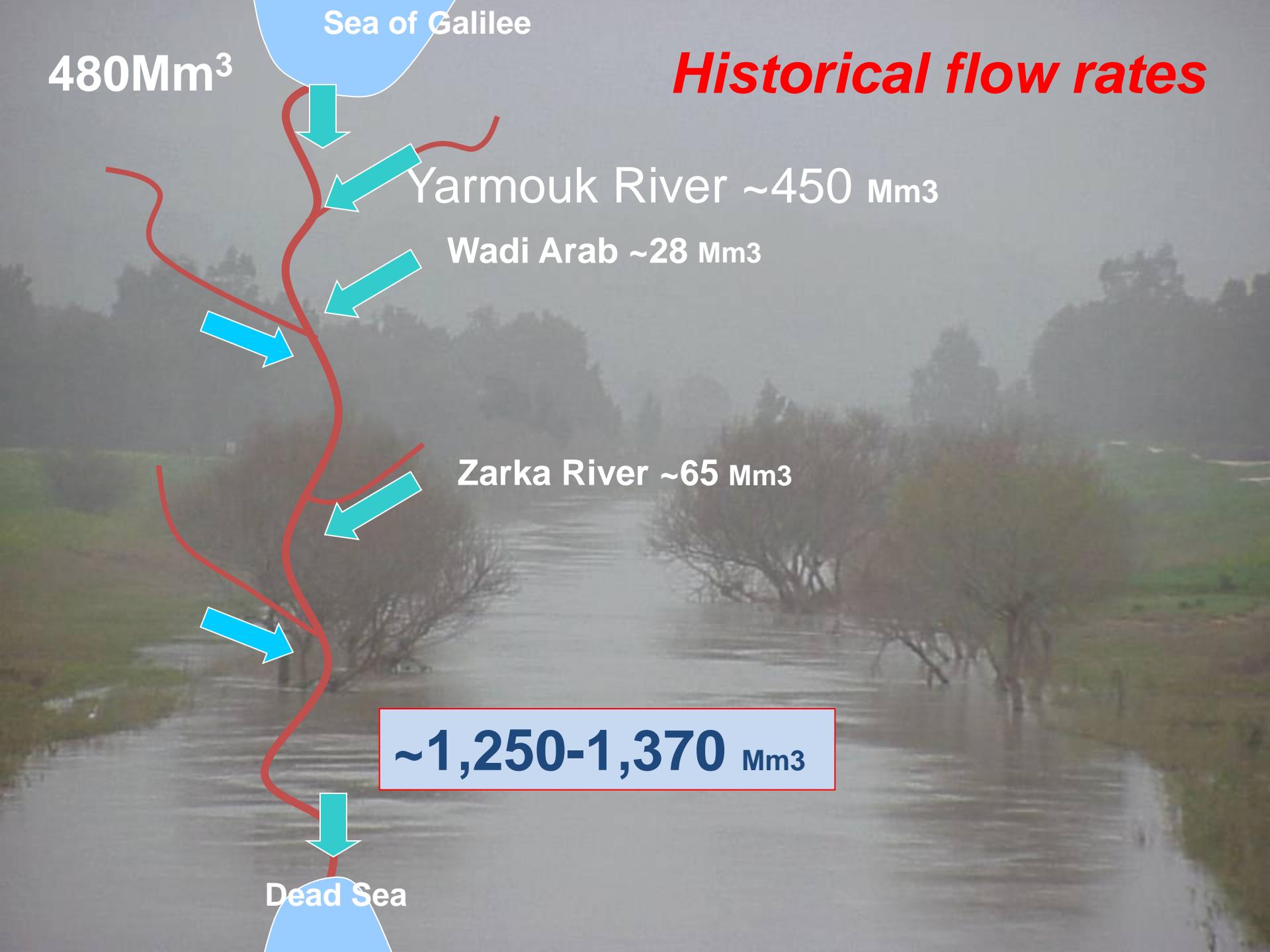


Israel Satellite Map



The Jordan Valley Basin





Sea of Galilee

480 Mm³

Historical flow rates

Yarmouk River ~450 Mm³

Wadi Arab ~28 Mm³

Zarka River ~65 Mm³

~1,250-1,370 Mm³

Dead Sea

Sea of Galilee

Current Jordan River flow !

Sewage+
Brines
27

27M/y

38M/y

King Abdalla Canal (~150)

Amman
waste water
30-40

Irrigation from west
~30 MCM

35

Irrigation
60-70 MCM

Dead Sea

60 -200 MCM

Adasiya D.

King Talal dam

Water Sources & Water Quality of the Lower Jordan River



Identifying & Quantifying the Current Sources !

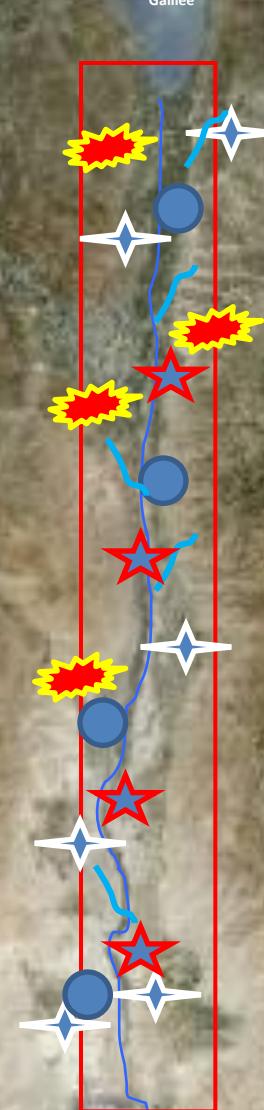
Effluents (industrial,
domestic, fish ponds etc.)

Irrigation-subsurface
return flow (drainage)

Springs

Streams

Seepage from shallow
aquifers

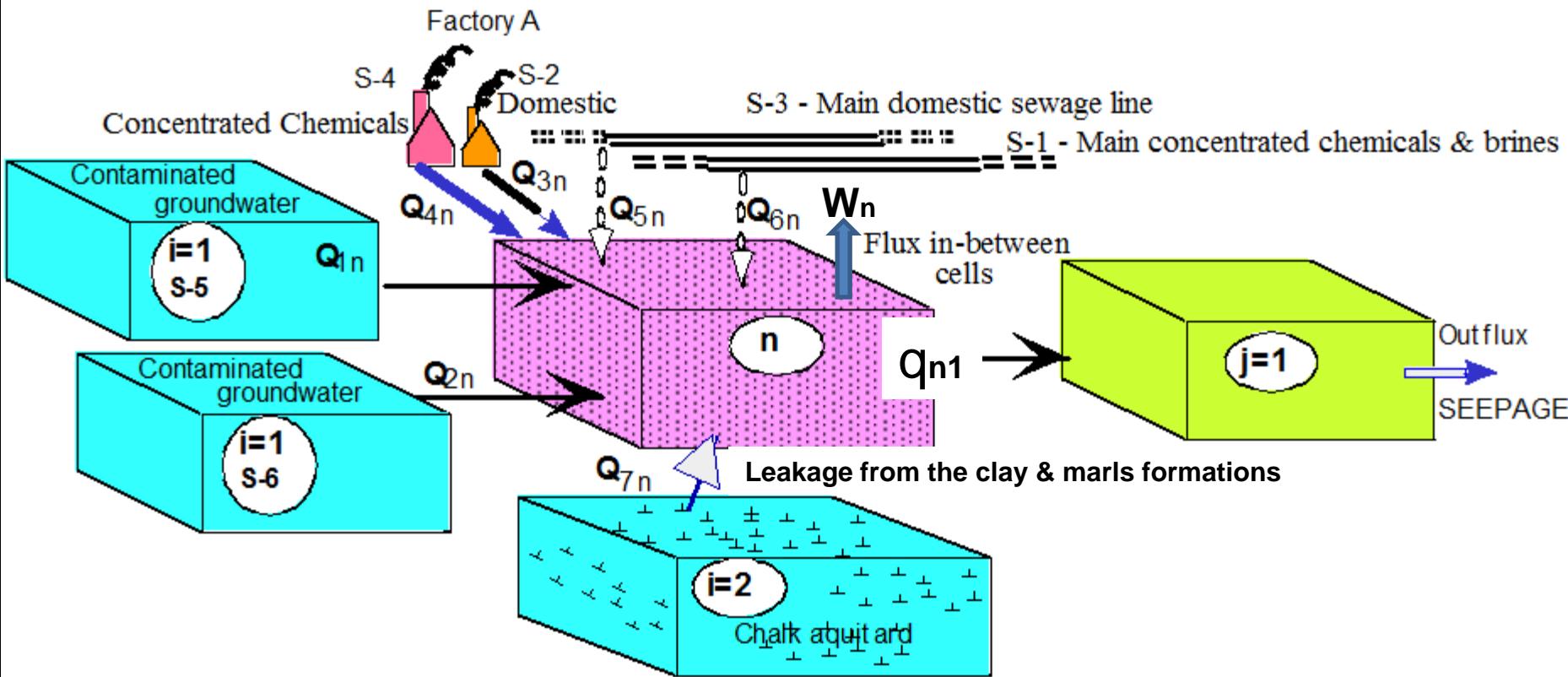


Study area

The Mixing Cells Modeling (MCM) concept

Water Balance Expression

Recharge by contaminated effluents



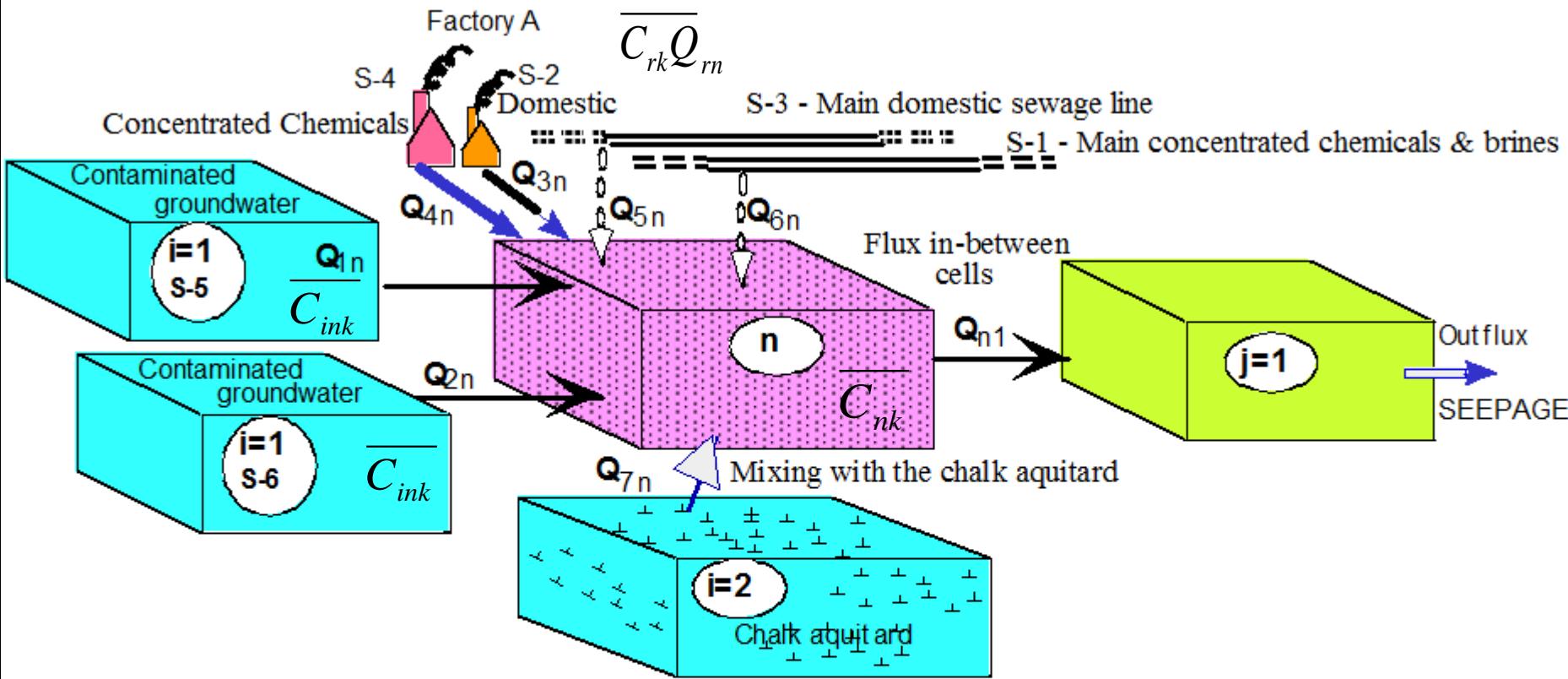
$$(1) \quad \sum_{r=1}^{R_n} Q_{rn} + \sum_{i=1}^{I_n} q_{in} - \sum_{j=1}^{J_n} q_{nj} - W_n - S_n = 0$$

$$(2) \quad \sum_{r=1}^{R_n} \bar{Q}_{rn} + \sum_{i=1}^{I_n} \bar{q}_{in} - \sum_{j=1}^{J_n} \bar{q}_{nj} - \bar{W}_n - \bar{S}_n = \varepsilon_n$$

All potential sources are identified

Mass Balance Expression

Recharge by contaminated effluents



$$(3) \quad \sum_{r=1}^R \overline{C_{rk} Q_{rn}} + \sum_{i=1}^I \overline{C_{ink} q_{in}} - \overline{C_{nk}} \left[\sum_{j=1}^J \overline{q_{nj}} + \overline{W}_n - \overline{S}_n \right] = \mathcal{E}_{nk}$$

Every source is designated by a unique hydro-chemical composition

$$\begin{aligned}
& \sum_{r=1}^{R_n} \overline{Q}_{rn} + \sum_{i=1}^{I_n} \overline{q}_{in} - \sum_{j=1}^{J_n} \overline{q}_{nj} - \overline{W}_n = \varepsilon_n \\
& \sum_{r=1}^R \overline{C}_{rk_1} \overline{Q}_{rn} + \sum_{i=1}^I \overline{C}_{ink_1} \overline{q}_{in} - \overline{C}_{nk_1} \left[\sum_{j=1}^J \overline{q}_{nj} + \overline{W}_n + \overline{S}_n \right] = \varepsilon_{nk_1} \\
(4) \quad & \sum_{r=1}^R \overline{C}_{rk_2} \overline{Q}_{rn} + \sum_{i=1}^I \overline{C}_{ink_2} \overline{q}_{in} - \overline{C}_{nk_2} \left[\sum_{j=1}^J \overline{q}_{nj} + \overline{W}_n + \overline{S}_n \right] = \varepsilon_{nk_2} \\
& \sum_{r=1}^R \overline{C}_{rk_3} \overline{Q}_{rn} + \sum_{i=1}^I \overline{C}_{ink_3} \overline{q}_{in} - \overline{C}_{nk_3} \left[\sum_{j=1}^J \overline{q}_{nj} + \overline{W}_n + \overline{S}_n \right] = \varepsilon_{nk_3} \\
& \vdots \quad \vdots \quad \vdots \quad \vdots \\
& \sum_{r=1}^R \overline{C}_{rK} \overline{Q}_{rn} + \sum_{i=1}^I \overline{C}_{inK} \overline{q}_{in} - \overline{C}_{nK} \left[\sum_{j=1}^J \overline{q}_{nj} + \overline{W}_n + \overline{S}_n \right] = \varepsilon_{nK}
\end{aligned}$$

Water
Balance
Expression

Mass Balance
Expressions

$$(5) \quad \underline{\underline{C}}_n \underline{X}_n + \underline{P}_n = \underline{E}_n$$

$$(6) \quad \underline{\underline{C}}_n = \begin{bmatrix} 1, & 1, & \cdots, 1, & 1, & 1, & \cdots, 1, & -1, & \cdots, -1 \\ \bar{C}_{r_1 n k_1}, \bar{C}_{r_2 n k_1}, \cdots, \bar{C}_{R n k_1}, \bar{C}_{i_1 n k_1}, \bar{C}_{i_2 n k_1}, \cdots, \bar{C}_{l n k_1}, -\bar{C}_{n k_1}, \cdots, -\bar{C}_{n k_1} \\ \bar{C}_{r_1 n k_2}, \bar{C}_{r_2 n k_2}, \cdots, \bar{C}_{R n k_2}, \bar{C}_{i_1 n k_2}, \bar{C}_{i_2 n k_2}, \cdots, \bar{C}_{l n k_2}, -\bar{C}_{n k_2}, \cdots, -\bar{C}_{n k_2} \\ \vdots & \vdots \\ \bar{C}_{r_1 n K}, \bar{C}_{r_2 n K}, \cdots, \bar{C}_{R n K}, \bar{C}_{i_1 n K}, \bar{C}_{i_2 n K}, \cdots, \bar{C}_{l n K}, -\bar{C}_{n K}, \cdots, -\bar{C}_{n K} \end{bmatrix}_{[(K+1) \bullet (R_n + I_n + J_n)]}$$

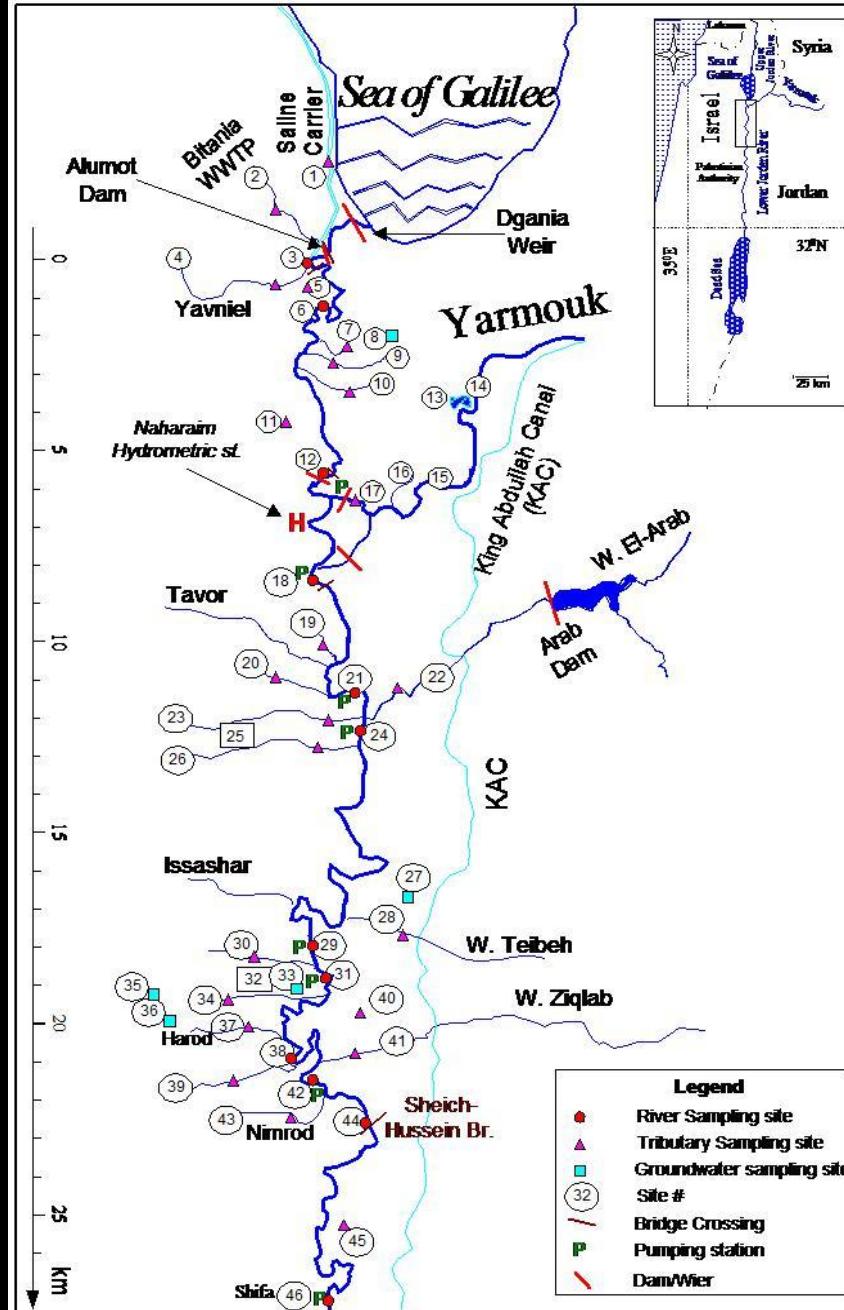
$$(7) \quad \underline{X}_n = \begin{bmatrix} \bar{Q}_{r_1} \\ \bar{Q}_{r_2} \\ \vdots \\ \bar{Q}_{R_n} \\ \bar{q}_{i_1} \\ \bar{q}_{i_2} \\ \vdots \\ \bar{q}_{I_n} \\ \bar{q}_{n j_1} \\ \bar{q}_{n j_2} \\ \vdots \\ \bar{q}_{n J_n} \end{bmatrix}_{[(R_n + I_n + J_n) \bullet 1]}$$

$$(8) \quad \underline{P}_n = \begin{bmatrix} \bar{W}_n + \bar{S}_n \\ \bar{C}_{n k_1} \bar{W}_n + \bar{S}_n \\ \bar{C}_{n k_2} \bar{W}_n + \bar{S}_n \\ \bar{C}_{n k_3} \bar{W}_n + \bar{S}_n \\ \vdots \\ \bar{C}_{n K} \bar{W}_n + \bar{S}_n \end{bmatrix}_{[(K+1) \bullet 1]}$$

$$(9) \quad \underline{E}_n = \begin{bmatrix} \mathcal{E}_n \\ \mathcal{E}_{n k_1} \\ \mathcal{E}_{n k_2} \\ \mathcal{E}_{n k_3} \\ \vdots \\ \mathcal{E}_{n K} \end{bmatrix}_{[(K+1) \bullet 1]}$$

$$(10) \quad J = \sum_{n=1}^N \left[\underline{E}^T \underline{\underline{C}}_n \underline{X}_n \right] = \sum_{n=1}^N \left[(\underline{\underline{C}}_n \underline{X}_n + \underline{P}_n) \Phi (\underline{\underline{C}}_n \underline{X}_n + \underline{P}_n) \right]$$

Sampling stations (north)



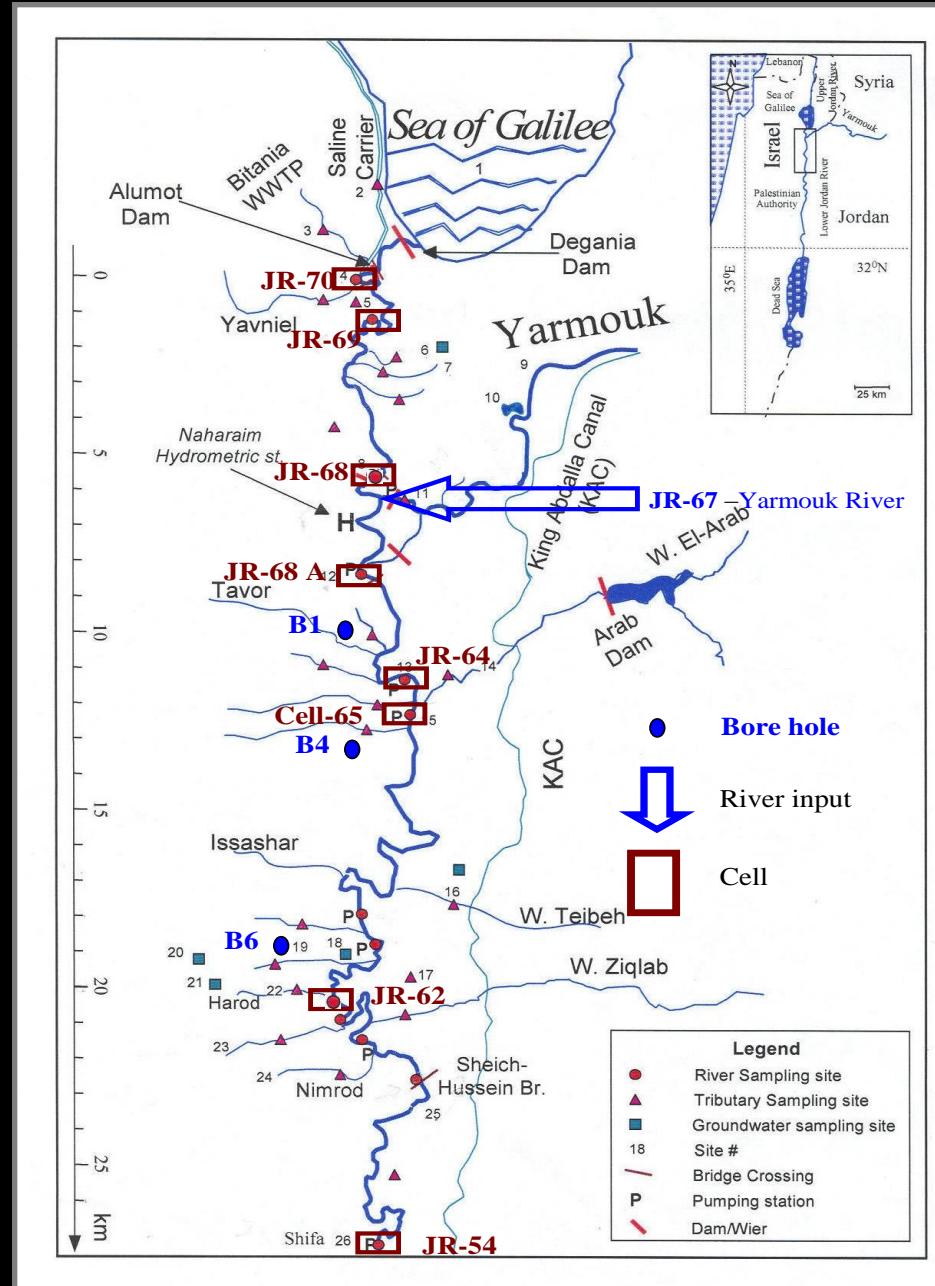
Hydro-chemical & Isotopes
Data

Uri Shavit
Technion, Haifa, Israel

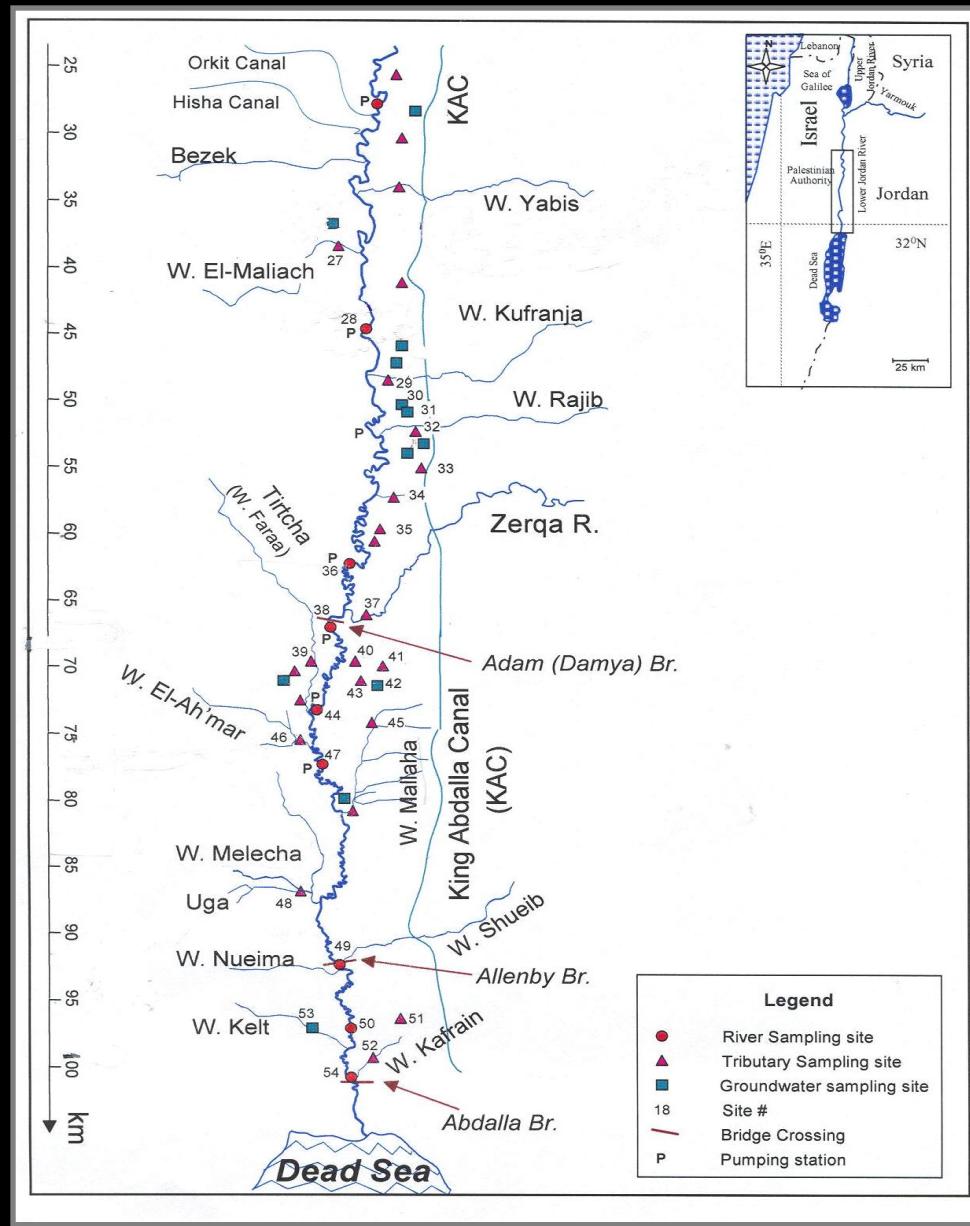
Avner Vengosh
Ben Gurion University,
Israel
Duke University, NC USA

Efrat Farber
Ben Gurion University,
Israel

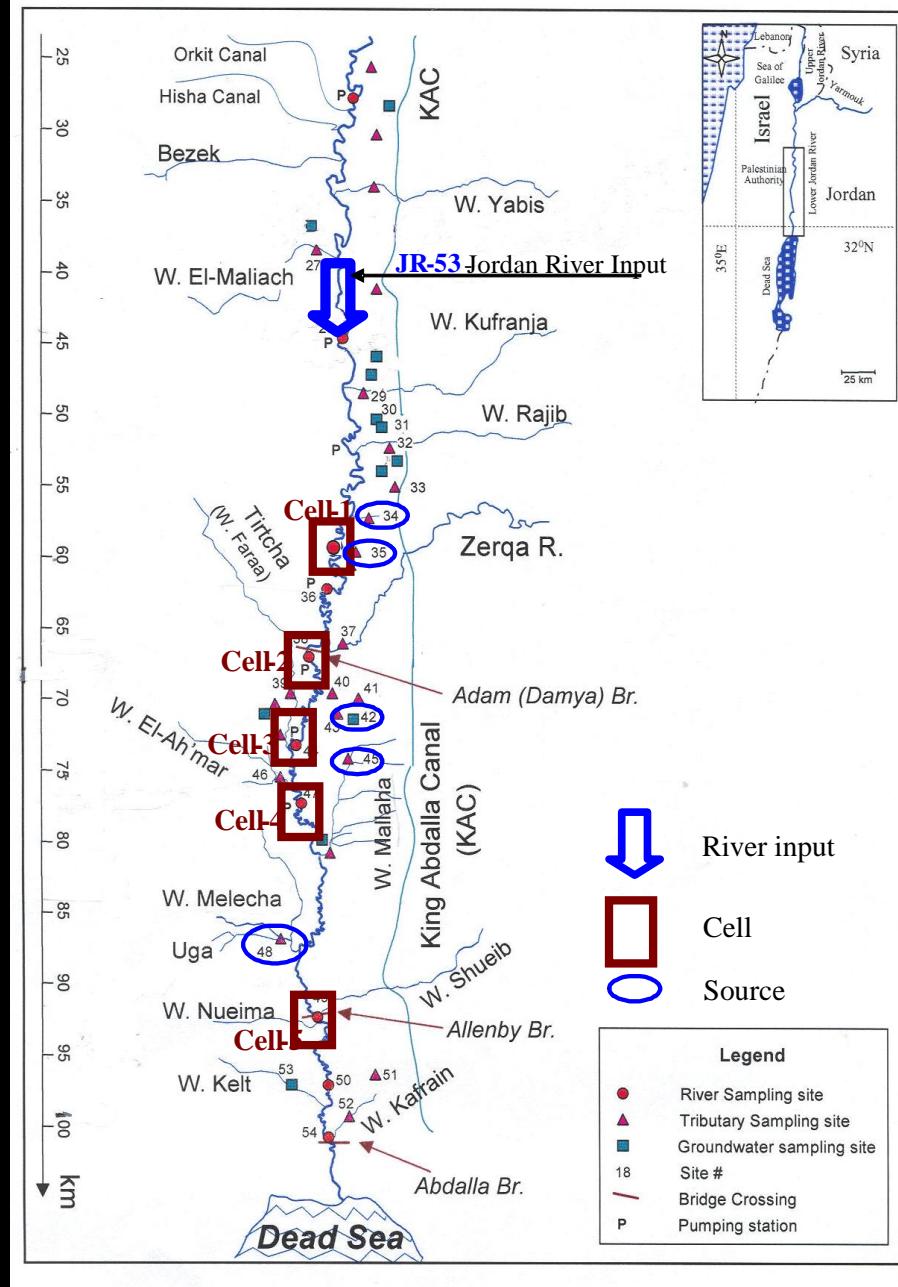
Modeling (north)



Sampling stations (south)



Modeling (south)



MCM Results for single compartments/segments along the Lower Jordan Valley

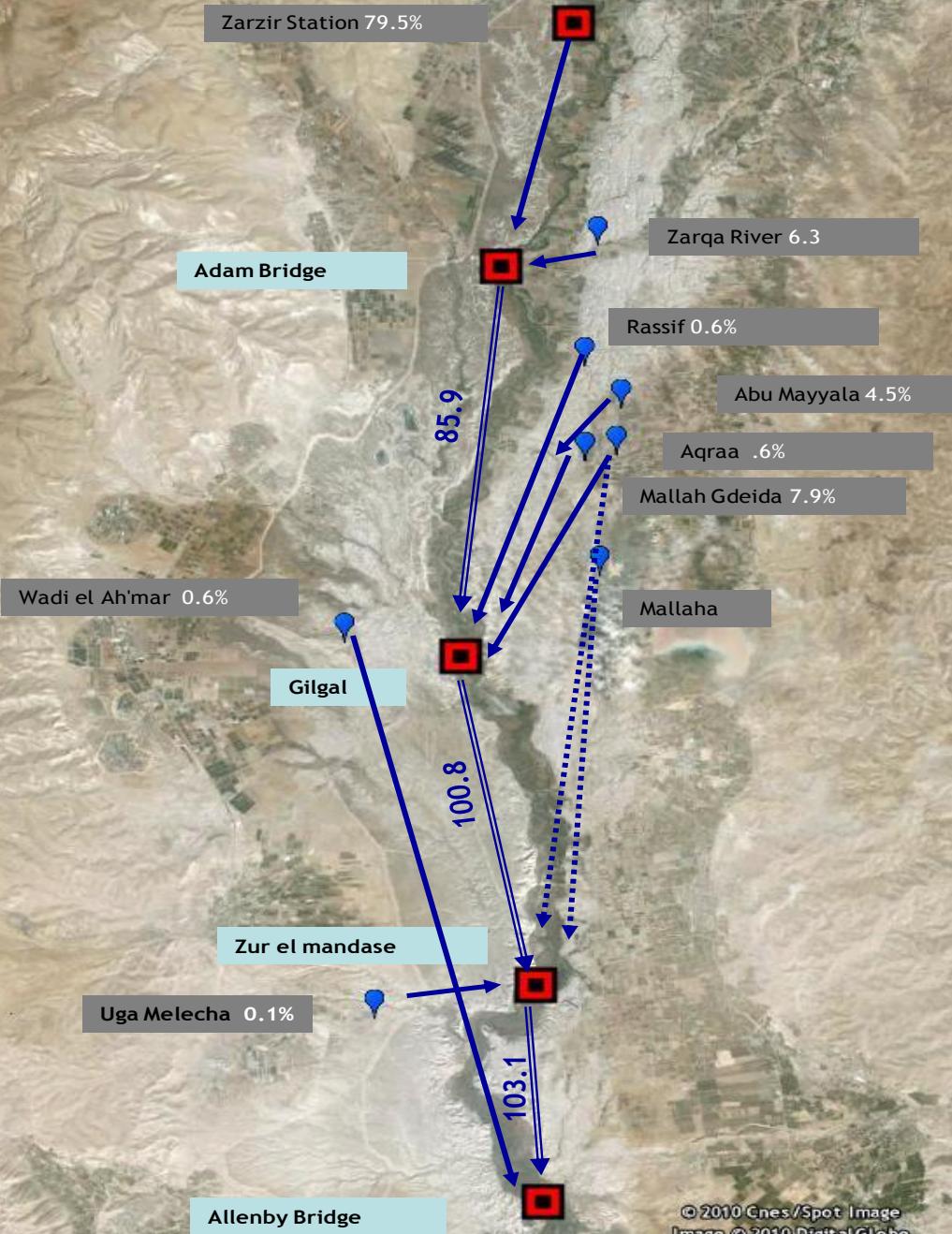
Average hydro-chemical and isotopic data for the winter (September 2000-February 2001) and summer (March 2001-August 2001).

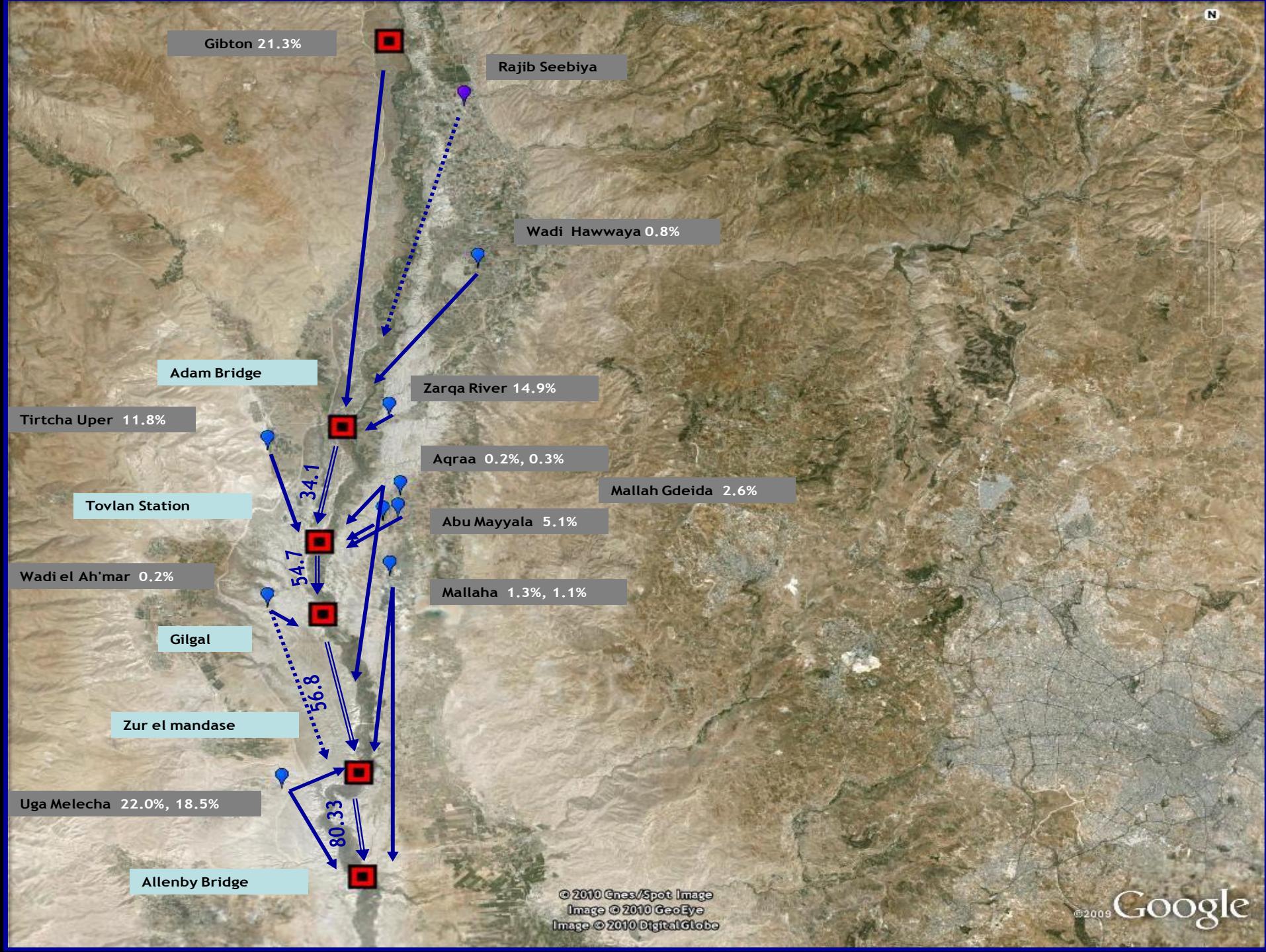
Cell 1: Results for the upper Jordan River at Alumot dam- Alumot Bridge



Cell	Source	winter 00-01		summer 01	
		%cell inflow	% diff.	%cell inflow	% diff.
Cell_4	Gesher		1.60%		3.32%
Cell_3		77.3		97.2	
W.Surf.Inflow_12					
5	- Naharayim	22.7		2.93	







The *MCMsf* Model enabled to assess the current fluxes and discharge of water sources along the Jordan River !

Thank you for your attention

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